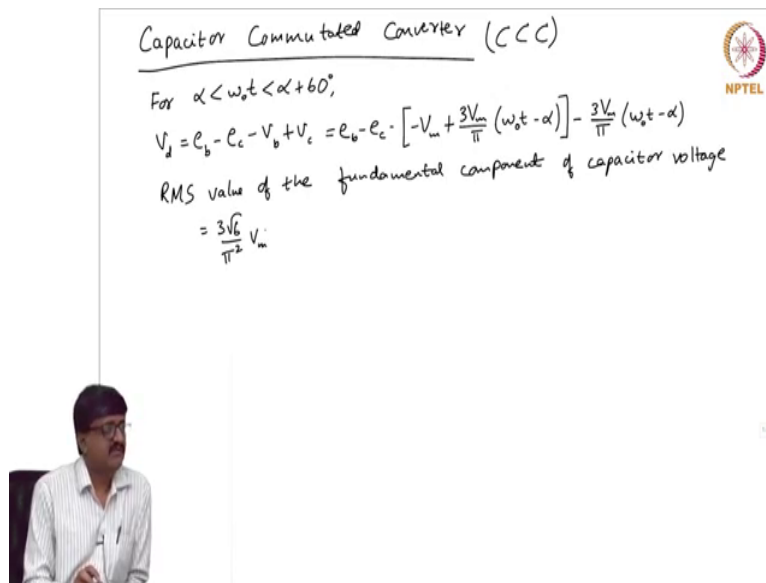


DC Power Transmission Systems
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Lecture – 45
Capacitor commutated converter: Part 2

(Refer Slide Time: 00:16)



Capacitor Commutated Converter (CCC)

For $\alpha < \omega t < \alpha + 60^\circ$,

$$V_d = e_b - e_c - V_b + V_c = e_b - e_c \cdot \left[-V_m + \frac{3V_m}{\pi} (\omega t - \alpha) \right] - \frac{3V_m}{\pi} (\omega t - \alpha)$$

RMS value of the fundamental component of capacitor voltage

$$= \frac{3\sqrt{6}}{\pi^2} V_m$$

So, this is abbreviated as CCC. So, if I want the average DC side voltage, what I can do is I can just take the expression for any interval say 60 degree interval. Suppose I take ωt between α and $\alpha + 60$ degrees. So, what is V_d , the instantaneous DC side voltage, e_b ?

Student: Minus e_c .

Minus $e c$.

Student: Minus $V b$.

$e b$ minus $e c$ minus $V b$.

Student: Plus $V c$.

Plus $V c$ ok. Now, we know the expression for $e b$ and $e c$. And do you know the expression for $V b$? We got the expression for b ; in fact, we plotted $V b$ ok. So, I will take this as $e b$ minus $e c$ minus what is $V b$?

Student: (Refer Time: 01:13).

So, it is minus $V m$ plus $3 V m$ by π into ωt minus α that is minus $V b$; what about $V c$?

Student: Minus 3.

Minus 3.

Student: $V m$ by π .

$V m$ by π .

Student: (Refer Time: 01:33).

ωt minus α right; so, substitute for the expression for $e b$ and $e c$ and integrate this from α to $\alpha + 60$ degree and divide it by π by 3 you get the expression for the average value. So, did you get it? So, it happens to be same as the expression for the line

commutated converter. So, the presence of capacitor will not affect the average value of the DC side voltage ok.

So, that I will leave it to verify. Then, what about the RMS value of the fundamental? So, if I take the RMS value of the fundamental component of capacitor voltage, so, I will leave it you to show that. This is equal to $3 \sqrt{6} \text{ by pi square into } V_m$. So, this I am asking you to do.