

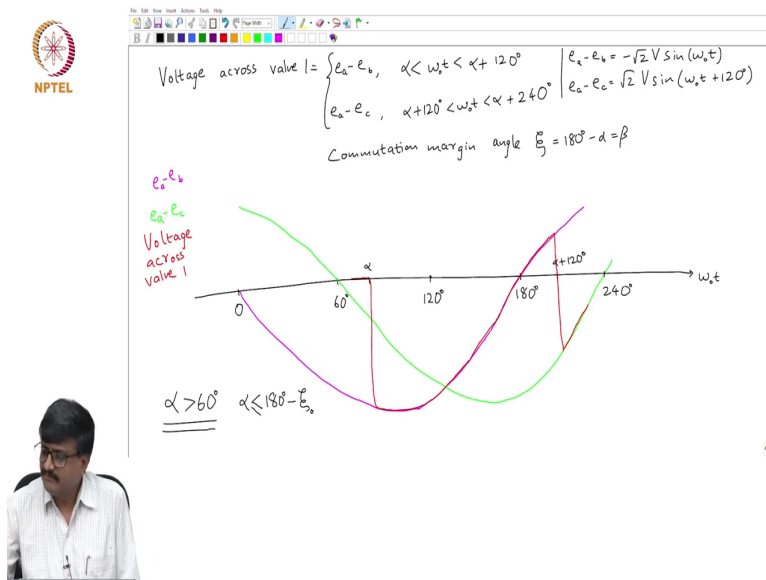
DC Power Transmission Systems
Prof. Krishna S
Department of Electrical Engineering
Indian Institute of Technology, Madras

Lecture - 17

Commutation margin angle in a 6 pulse LCC neglecting inductance: Part 1

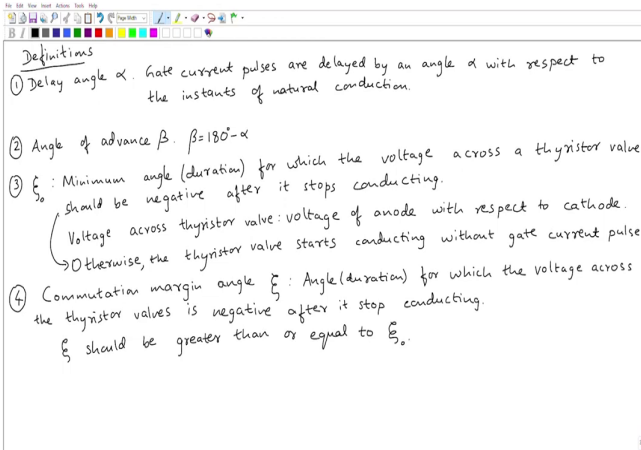

Now, let us just recall from the table that we have actually formed a few classes ago; we got the expression for voltage across the valve.

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So, let us just see what is that the last column voltage across one of the valves; valve 1. Now, I said why we consider only one of the valves; the reason is all the valve voltages will be identical except for a phase shift.

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Definitions

- ① Delay angle α . Gate current pulses are delayed by an angle α with respect to the instants of natural conduction.
- ② Angle of advance β . $\beta = 180^\circ - \alpha$
- ③ ξ_0 : Minimum angle (duration) for which the voltage across a thyristor valve should be negative after it stops conducting.
Voltage across thyristor valve: voltage of anode with respect to cathode.
→ Otherwise, the thyristor valve starts conducting without gate current pulse.
- ④ Commutation margin angle ξ : Angle (duration) for which the voltage across the thyristor valves is negative after it stop conducting.
 ξ should be greater than or equal to ξ_0 .



So, even if you go back to the previous definition; see commutation margin angle, we say that the angle for which the voltage across the thyristor valves is negative; that means, for any thyristor valves it is negative ah for the same duration that is what I mean ok.

So, if you take the converter with six thyristor valves; for all the six thyristor valves, the angle for its the voltage is negative after it stops conducting the same ok. So, voltage across thyristor valve; so we will just consider we had six expressions corresponding to the six intervals, I will just consider the first two intervals.

The first two intervals are ωt greater than α and less than $\alpha + 60$ degrees; $\alpha + 60$ degree less than ωt , less than $\alpha + 120$ degrees. So, we got the

expression. So, the first two rows I am taking. So, for α to $\alpha + 60$ voltage across valve 1, we got the expression as?

Student: $e_a - e_b$.

$e_a - e_b$; and for $\alpha + 60$ degrees to $\alpha + 120$ degrees, it is? $E_a - e_b$? We got the expression; $e_a - e_b$?

Student: $e_a - e_b$ same (Refer Time: 02:08).

So, for the first two intervals; this is the, I mean we actually got the same expression. So, I could have written differently ok; what I can do is we can do this sorry; suppose I take the next two intervals $\alpha + 240$. So, from $\alpha + 120$ to $\alpha + 240$, it is $e_a - e_b$. Yeah, I meant to just take these two expressions not two intervals, it is actually four intervals. Of course, there are two more intervals where it is negative sorry where it is 0; where it is 0 ok.

Now, let us try to plot this voltage e_a ; that means, the voltage across valve 1. See what is $e_a - e_b$? Let us get the expression for $e_a - e_b$; what is $e_a - e_b$? We have the expression for e_a and expression for e_b .

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$i_a + i_b + i_c = 0$

RMS value of AC side current, $I = \sqrt{\frac{2}{3}} I_d$


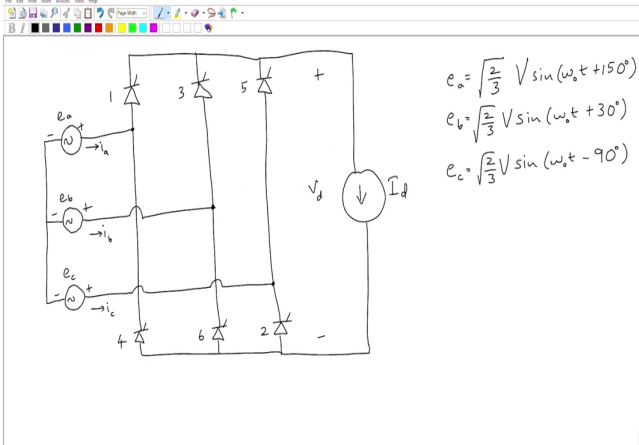
RMS value of the fundamental component of AC side current,
 $I_1 = \frac{\sqrt{6}}{\pi} I_d$

RMS value of h^{th} order harmonic component of AC side current,
 $I_h = \begin{cases} I_1/h, & h = 6k \pm 1, k = 1, 2, 3, \dots \\ 0, & \text{otherwise} \end{cases}$

h > 1




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The diagram shows a three-phase bridge rectifier circuit. On the left, three AC voltage sources are connected in a star configuration, labeled e_a , e_b , and e_c . The positive terminal of e_a is at the top, e_b is in the middle, and e_c is at the bottom. The corresponding currents are i_a , i_b , and i_c . The bridge consists of six diodes: diode 1 (top-left), diode 3 (top-middle), diode 5 (top-right), diode 4 (bottom-left), diode 6 (bottom-middle), and diode 2 (bottom-right). A load L_d is connected across the output terminals, with voltage v_d and current i_d indicated. To the right of the circuit, the following equations are written:

$$e_a = \frac{\sqrt{2}}{3} V \sin(\omega_s t + 150^\circ)$$

$$e_b = \frac{\sqrt{2}}{3} V \sin(\omega_s t + 30^\circ)$$

$$e_c = \frac{\sqrt{2}}{3} V \sin(\omega_s t - 90^\circ)$$


e_a minus e_b ; e_a is having a phase angle of 150, e_b is having a phase angle of 30. So, e_a minus e_b is a line voltage with RMS value V . So, it is $\sqrt{2} V$.

Student: Minus $\sqrt{2} V$ minus $\sqrt{2} V$.

Yeah, minus $\sqrt{2} V \sin \omega t$ ok. So, it is minus $\sqrt{2} V \sin \omega t$; then there is another expression for voltage across valve 1 e_a minus e_c . So, if you look at the expression for e_c , the phase angle is minus 90; so e_a minus e_c is $\sqrt{2} V \sin \omega t$; e_a is having phase angle of 150, e_c is having a phase angle of minus 90. So, minus e_c will have a phase angle of plus 90. So, one is 150, another is 90; so the resultant is e_a minus e_c 120. So, it is $\sqrt{2} V \sin \omega t$ plus 120 degrees.

Now, let me try to plot voltage across valve 1. So, what I am trying to do here is plotting voltage across valve 1. So, before that; I will just try to plot $e_a - e_b$ and $e_a - e_c$ also so that over that I can plot voltage across valve. Suppose, this is 0; this is say 60 degrees, 120, 180 degrees, 240 degrees.

So, if I plot $e_a - e_b$; $e_a - e_b$ is $-\sqrt{2} V \sin \omega t$. So, there is a negative peak at 90 degrees; what I am plotting is $e_a - e_b$ first, $-\sqrt{2}$ is $\sin \omega t$; is that ok? See the peak value is at ok; not be a very neat sketch. Then suppose I plot $e_a - e_c$; $e_a - e_c$ is $\sqrt{2} V \sin \omega t + 120$; so where will the 0 crossing of this be? So, there will be a 0 crossing from positive to negative what $e_a - e_c$, $e_a - e_c$ will have a 0 crossing from positive to negative; what?

Student: 300.

Sorry.

Student: 300.

300; anyhow 300 I have not shown here, what I was shown is 0, 60, 120, 180, 240; 60, 60. Yeah is a just a rough sketch ok. Now, suppose I have α say greater than 60 degrees; suppose α is greater than 60, let us make this assumption; we will consider what happens if α is less than 60 later.

Suppose α is greater than 60 degrees then from α to $\alpha + 120$; it is the voltage across valve 1 is $e_a - e_b$. So, suppose I will plot $e_a - e_b$; sorry, I made a mistake. Suppose, I plot voltage across valve 1 using this red line voltage across valve 1; so from α to $\alpha + 120$ it is $e_a - e_b$; so I will show somewhere α , α is somewhere here this is α . So, up to α ; that means, just before α ; what is the value of voltage across valve 1?

Student: 0.

Why?

Student: Because (Refer Time: 09:57) Eigen.

See.

Student: This is a.

Alpha is the instant at which; which valve turned on, which valve is turned on at alpha?

Student: 3 is turned on.

3 is turned on; see alpha is the instant at which 3 is turned on. So, before 3 being turned on which valve is conducting?

Student: 1.

1 is conducting. So the; I mean we are trying to plot voltage across valve 1, when valve is conducting voltage across the valve is 0. So, voltage across valve 1 before alpha is 0 is 0. So, I will just show for a small duration for which it is 0 ok; I am not trying to show it from 0 to alpha, I am just showing for a small duration before alpha. So, at alpha it jumps to?

Student: e_a minus e_b .

Voltage across valve 1, jumps to e_a minus e_b . So, e_a minus e_b is this valve. So, it remains at e_a minus e_b up to? Up to what?

Student: (Refer Time: 10:52).

Up to?

Student: Alpha plus 120.

Alpha plus 120, so alpha plus 120 comes after?

Student: After 180 degrees.

After 180 degrees because I assumed alpha greater than 60; so alpha plus 120 is after 180 degrees, so up to alpha plus 120 the voltage across valve 1 is $e_a - e_b$. So, this red line coincides with this curve $e_a - e_b$; then what happens at alpha plus 120?

Student: (Refer Time: 11:34).

It becomes $e_a - e_c$. So, it jumps to $e_a - e_c$ ok. So, this red line is the voltage across valve 1; now just go back to the definition of the commutation margin angle ψ . What is the commutation margin angle; that by definition it is the angle for which the voltage across the thyristor valves is negative after it stops conducting. So, if I take voltage across valve 1; it valve 1 stops conducting at?

Student: Alpha.

Alpha; so what is the duration for which the voltage across valve 1 is negative? So; that means, what is the commutation margin angle?

Student: 180 angle; 180 minus.

180 minus alpha

Student: Beta.

So, commutation margin angle ψ is 180 degree for this case minus α which is nothing, but β by definition β is 180 minus α . Now, this is as far as the range of α from 60 to some value which we have to determine.

Now, this diagram actually; this waveform actually tells us what is the upper limit on α . So, looking at the previous definitions, can we say if α is greater than 60? Can it go up to any value or is there a limit?

Student: There is a limit.

What is the limit?

Student: Such that 180 minus α is always greater than or equal to ϵ .

Yeah. So, there is a quantity called ψ_{naught} ; there is a minimum duration for which the voltage should be?

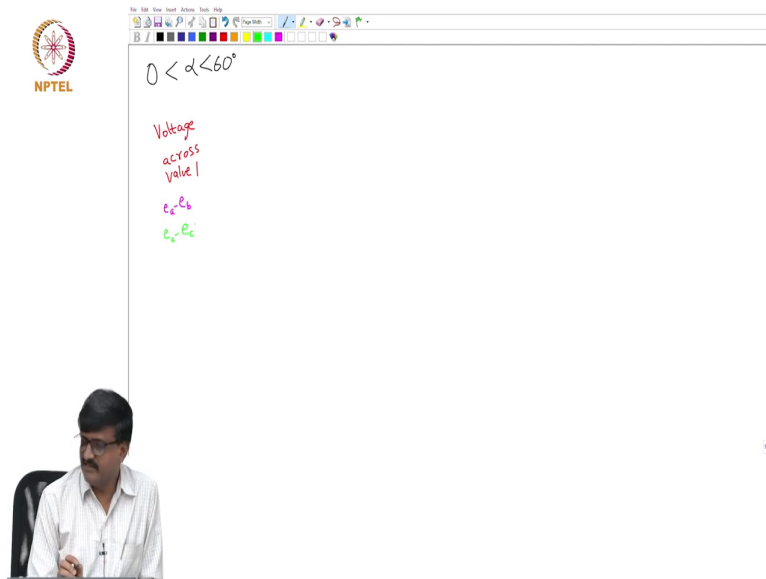
Student: Negative.

Negative. So, α cannot go up to 180; it can go only up to?

Student: 180 minus ψ_{naught} .

180 minus ψ_{naught} . So, α is greater than 60 and α is actually less than 180 minus ψ_{naught} ok. If can of course, take the value of 180 minus ψ_{naught} of less than or equal to 180 minus ψ_{naught} .

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Now, let us consider the other possible range of alpha. So, that was for alpha from 60 to 180 minus psi naught. So, what happens to alpha less than 60? Yeah, please note psi naught is a small value; it is of the order of 10 to 15 degrees ok; it is, I mean it is a small angle compared to 60 degree; it is a small angle.

Now, let us see what happens if alpha is less than 60 degrees and of course, greater than; greater than? What is the minimum possible value of alpha?

Student: 0.

0. So, between 0 and 60; what will be the waveform? So, what I want is the voltage across valve 1; voltage across valve 1. Of course, I can also plot to this $e_a - e_b$ and $e_a - e_c$

c and from that I can plot voltage across valve 1 ok. And once I plot these waveforms, I can get the expression for the commutation margin angle. So, can you just attempt this?