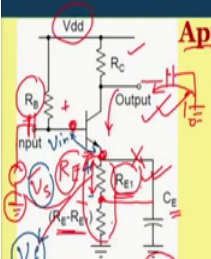


Analog Electronic Circuits
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Lecture – 99
Applications of Feedback in Amplifier Circuits (Part-C)

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Application circuit-2



Configuration names	Sin	So	A	Rin	Rout	Unit of β_{FB}
Voltage-Shunt (Shunt-Shunt)	I	V	Z_m	↓	↓	Mho
Current-Shunt (Series-Shunt)	I	I	A_I	↓	↑	-
Voltage-Series (Shunt-Series)	V	V	A_V	↑	↓	-
Current-Series (Series-Series)	V	I	G_m	↑	↑	Ohm

We want stable G_m defined by feedback network

Feedback configuration: Current-Series (Series-Series) feedback

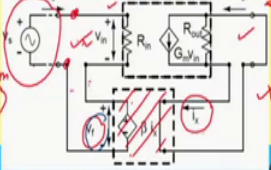

✓ Input signal: V_i

✓ Output signal: I_o

Forward amplifier gain: $A = G_m$

T.F. of F.B. Network: $\beta_{FB} = -R_g$

Rin: ↑ Rout: ↑

Welcome back after the break into our Analog Electronic Circuits NPTEL course. So, we are talking about Application of Feedback Circuit and in the circuit 1 we have seen voltage shunt feedback and now we do have the second example and we do have the circuit given here.

So, the main circuit it is given here and the along with this we do have an intention to get G_m trans conductance of the circuit defined by feedback network. So, if I consider this G_m , if we see the G_m in the this summary table of feedback effect, what we can see here it is suggests

that we need to have current series feedback or series series feedback. And for series series feedback, what we have the input signal, it is voltage and the output signal it is current.

So, we can say that input signal it is voltage and then output signal it is current and then forward amplifier gain it is transconductance amplifier. So, I should say A equals to G_m and the transfer function of the feedback network β F_B which converts the output signal into input signal of voltage which means that it is unit it is ohm.

So, here also from the table we can see that unit of the feedback network it is ohm and what we can say that while we are making this circuit, it is anticipated that the input resistance it will increase and also the output resistance it will increase. And here we do have the model of the on a feedback circuit where we can see that at the sampling point we do have series connection and the mixing point also we do have the voltage mixing in series. And this is the primary input and the primary output here it is the current through the circuit which is we may call it is i_o .

Now, while we do have the main amplifier where R_B it is the providing the base bias arrangement and then the resistor here at the emitter. So, this is R_E and then we do have the collector resistors R_C along with the supply voltage and here we do have the provision of the feeding the signal, but we like to keep the signal of course, it will be in voltage, but then while we are feeding the signal it should be through coupling capacitor. So, that the DC operating point of the amplifier should not get disturbed by the DC voltage at the input.

And while we will be observing the output, output it is as I said that it is in the form of current. So, to get a current here what we can say it is we can connect a capacitor to ground and then we can see how much the current it is flowing through this circuit which is referred as i_o . Now while we are planning for current series feedback so, we want this I_o should be flowing through a resistor and that resistor supposed to develop a voltage and that voltage it should be coming to the input port along with the main source here v_s .

So, if you look into this model given here, the developed R_f sorry, V_f voltage which is equal to the output current i_o . In fact, i_o it is same as i_x while it is flowing through this feedback

circuit feedback network it is developing a voltage here and that voltage need to be mixed here.

So, if I correlate the input port of the model here we do have positive side. So, this is the positive side here of the input voltage, negative side we do have at the emitter. So, we do have the negative side and then we do have the voltage coming here with respect to the negative terminal of the source voltage; which means that we like to give a signal here with respect to this ground.

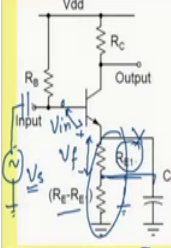
So, we like to have a signal here. So, what we can do? This emitter resistor total emitter resistor you can split into two elements; so, one is R_{E1} and then rest of the things it is here which is R_E minus R_{E1} and then instead of connecting this C E bypass capacitor at the emitter we can connect it here. So, instead of connecting the C E here you can connect at the middle of this resistor keeping R_{E1} and bypassed and then rest of the things which is R_E minus R_{E1} bypassed.

So, for small signal model we can say that this un bypassed resistor, it is developing a signal voltage across it while the i_o current it is flowing through collector to emitter and eventually it is flowing through R_E also. So, the developed voltage here developed voltage here let me use different colour here. So, the developed voltage here you may call it is v_f .

So, this is the v_f voltage we may say that this is plus side and this is minus side. So, this v_f it is getting mixed with v_s to produce the input voltage v_{in} here. So, let me clear and then again summarize it.

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Application circuit-2

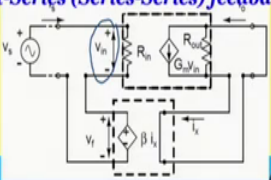



Configuration names	Sin	So	A	Rin	Rout	Unit of β_{FB}
Voltage-Shunt (Shunt-Shunt)	I	V	Z_m	↓	↓	Mho
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Current-Series (Series-Series)	V	I	G_m	↑	↑	Ohm

We want stable G_m defined by feedback network

Feedback configuration: **Current-Series (Series-Series) feedback**

Input signal: V_s
 Output signal: V_o
 Forward amplifier gain: G_{m, Y_m}
 T.F. of F.B. Network: β
 Rin: R_{in} Rout: R_{out}

So, what we said is we do have primary input signal here, we call it is v_s and then the voltage getting developed here across this R_E called v_f particularly if we connect the bypass capacitor here instead of this node and of course, this will be AC ground and. So, this is the v_f part and then from base to a emitter we do have the input voltage v_{in} .

Eventually this is v_{be} of the transistor, but here in terms of a model we can say that this is input voltage going to the amplifier. So, this v_s and v_f it is developing the or generating the v_{in} or preparing this v_{in} for the amplifier to get the signal.

So, to implement the corresponding feedback here the series series feedback here what we have to simply do it is that you have to partially bypassed this R_E only R_E it will rather only R_E minus R_E it will be bypassed and R_E it will be working as feedback a network.

So, in in a next slide, we will continue with this circuit and then we will go for the corresponding analysis.

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Application circuit-2 (contd.)

Feedback configuration: *Current-Series (Series-Series) feedback*

Ss: *So:*

A:

β_{FB}:

R_{in}:

R_{out}:

So, here we do have the circuit given we do have the circuit given here and what we have as I said that out of this total R E this part it is getting bypassed by C E and the remaining portion this R E 1 it is working as feedback element developing a voltage v f and of course, we are going to feed the signal here v s and this is the voltage we can say this is the input voltage going to the circuit.

So, this is the corresponding model of this circuit and as you can see it is having series sampling and then series mixing circuit and then also we do have the amplifier circuit here and its parameters are given in terms of a small signal parameter of the transistor. So, let me explain that how we obtain this model. So, let me again clear yeah.

(Refer Slide Time: 11:05)

Application circuit-2 (contd.)

Feedback configuration: Current-Series (Series-Series) feedback

Ss: V_s So: i_o

A: $G_m = g_m$, $G_m' = g_m \times \frac{r_o}{(r_o + R_C + R_{E1})} \approx g_m$

β_{FB} : $= R_{E1}$

Rin: r_{π}

Rout: r_o

So, if I consider this transistor and if I draw the small signal model, what we have it is G_m into v_{be} and this v_{be} it is eventually v_{in} . So, this is v_{in} along with that we do have the resistor r_{π} and this is the output node, the collector node it is the output node. So, we can see that this node it is collector which is eventually the positive side of the output port.

And then we do have the R_C the bias resistor R_C it is connected to DC voltage which is for signal wise it is AC ground. So, the other end of the R_C it is connected here which is, we should say it is ground and. So, this not an equivalent circuit it is given here G_m into v_{in} is the current source voltage dependent current source and r_o is the resistance inherent resistance of the transistor and then from base to emitter.

So, base to emitter we do have r_{π} here. So, this is base terminal and this is emitter terminal this is of course, this is emitter terminal if I look into the device so in fact, this is this node

and this node they are same and at the emitter terminal we do have R_{E1} and through which the current is flowing. So, from emitter to ground or this AC ground here so, this AC ground node it is shown here. So, for small signal this is ground, this is also ground, this is also ground. So, this ground is the ground or the signal source or negative terminal of the signal source.

So, we do have this ground, this ground and this ground, they are a shown here. Now this the R_{E1} it is as I said that it is generating a voltage which we call it is v_f . So, the output current it is flowing. So, let me use different colour here to miss show you the flow of the current.

So, the current it is essentially flowing through this circuit and that current is flowing here and this is ground and again it is going back. So, we can see that in the model we can see that the flow of the current it is in this direction. And the voltage drop across this one it is v_f it is getting mixed with v_s to develop this v_{in} . So, now, I think we can fairly correlate the actual circuit and the corresponding feedback circuit a model or the model of the specific configuration.

Now the primary input in this case S_s is v_s here and S_o in this model it is output current i_o and the A the circuit gain it is basically in this case it is G_m . And G_m if you see it is eventually this is same as g_m of the transistor trans conductance of the transistor. Ideally, we want this port should be unloaded and since the signal here it is current, it supposed to be theoretically should be short. In fact, here also we need to be having a short, but we do have practically we do have R_C and R_{E1} .

So, now, if you if you see the output internal output resistance r_o it is much higher than R_C and this R_{E1} together. So, as a result you can all practical purposes if the internal resistance is r_o you may say that the circuit is really not getting loaded. In other words if I consider the loading effect and if I say that what may be the expression of G_m dashed; that means, what may be the current here in terms of v_{in} to get the corresponding G_m it can be easily shown that this is the inherent g_m multiplied by the factor which is coming due to the current bifurcation.

And this current bifurcation is expression of the attenuation factor due to the current bifurcation it can be expressed in terms of r_o divided by r_o in series with R_C and R_{E1} ok. So, yeah. So, assuming that this resistance the input input resistance we are not considering, but once you consider that resistance of course, that resistance it will come in parallel with R_{E1} also. But, anyway this resistance it is much higher than rest of the things. So, you can approximate this by again g_m .

So, in summary we can say that G_m dashed it is also it can be well approximated by g_m . Input resistance of the circuit it is of course, r_{pi} of the transistor and then r_{out} of the circuit main amplifier it is r_o . And then, what is the feedback factor? The which converts the signal the current signal into voltage it is it is equal to R_{E1} , the un bypassed part of the R_E . So, with this information now we can go for finding appropriate value or range of this R_{E1} . So, that probably we can intuitively explain the effectiveness of the feedback circuit.

So, in the next slide, we are going to see what may be the guidelines to find the range of this R_{E1} or rather the portion of R_E which need to be un bypassed show that the feedback configuration it is really working as a series series feedback and it is formula can be utilized.

(Refer Slide Time: 19:02)

Application circuit-2 (contd.)

Feedback configuration: Current-Series (Series-Series) feedback

$A : G_m = g_m, G_m' \approx g_m$
 $R_{in} = r_{\pi}$
 $\beta_{FB} = \beta_{FE}$
Suitable range of R_{E1}

$R_{out-\beta} \ll R_{in}$ $R_{in-\beta} \ll R_{out}$
 $A' \cdot \beta_{FB} \gg 1$
 $R_{E1} \ll \min\{r_{\pi}, r_o\}$

$R_{in-f} \approx r_{\pi} (1 + \beta_{FE} \frac{R_{E1}}{R_{E1} + R_{E2}})$
 $R_{out-f} \approx r_o (1 + \beta_{FE} \frac{R_{E1}}{R_{E1} + R_{E2}})$

$R_{in-\beta} = R_{E1}$ $R_{out-\beta} \approx R_{E1}$

A_v, A_I, Z_m

So, in the next slide we are going to discuss about the range yeah. So, quickly we can say that this G_m it was g_m of the transistor. In fact, G_m dashed also we said it is well approximated by g_m of the transistor and R_{in} in it is r_{π} , R_{out} it is r_o . And of course, β_{FB} it is β_{FE} . Now to find the suitable range of R_{E1} , we need to consider this three conditions which gives us that the magnitude of the loop gain it is much higher than 1 and then here the loading effect of the input resistance of the feedback network sorry, output resistance of the feedback network we can compare with input resistance of the circuit and on the to avoid the loading effect of the input resistance on the feedback network.

On the other hand if I consider this condition it is it is suggesting that if you follow this one then loading effect of R_{in} of the feedback network, R_{in} beta it can be ignored. So, and and of course, this is $R_{out-\beta}$ and if you look into say this network and it is very simple

network. So, it is easy to see that $R_{in\beta}$ is nothing but R_{E1} . In fact, $R_{out\beta}$ is also equal to R_{E1} .

In fact, so, whenever we look into the output port of the feedback network it works as a voltage source and this voltage source is having a Thevenin equivalent resistance and this resistance is R_{E1} and that is what the output resistance of the feedback network.

So, if I know this $R_{in\beta}$ and $R_{out\beta}$ they are approximately equal to R_{E1} . And in addition to that if I know the R_{in} is r_{π} and R_{out} is r_o . So, from that we can say that R_{E1} should be much less than minimum of the two; r_{π} and r_o all right. So, these two conditions are giving us upper limit of R_{E1} . On the other hand if I consider this condition which is giving me that $A_{dashed} \gg 1$ is $G_m \gg 1$ and this is R_{E1} .

So, this needs to be much higher than 1 and so, this gives me R_{E1} needs to be higher than much higher than 1 by g_m . So, in summary we can say that yeah in summary we can say that this is giving me lower limit of R_{E1} and this is giving me the upper limit of R_{E1} .

So, from these two we can say that if we set the R_{E1} satisfying both the conditions then, we can directly use the feedback formula namely, A_f which is G_m of the feedback system is equal to G_m dashed divided by $1 + G_m$ dashed into β FB. And this is approximately equal to $1/\beta$ FB and that is equal to $1/R_{E1}$.

So, and also then input resistance we can see that this is input resistance it is getting increased original input resistance is r_{π} . So, that is getting increased by the desensitization factor which is $1 + A_{dashed}$ into β . So, this is equal to g_m into R_{E1} . In fact, this is of course, it is good approximation strictly speaking the actual expression of R_{in} if you directly analyse this circuit we do get an expression which is very close to this. In fact, that is having also one more term plus R_{E1} .

But all practical purposes you may ignore this part and so, this part is giving r_{π} plus β into R_{E1} , if we ignore this part. And if you consider this part, then of course, we will be

having one more small entity and hence if you are constructing this circuit namely if you keep this portion un bypassed the input resistance of the main circuit excluding of course, the bias circuit the input resistance it will be $r_{pi} + (1 + \beta) R_E$.

So, this is very much consistent to with whatever we know. So, we can correlate the direct analysis and the feedback circuit analysis. Now on the other hand output resistance of the feedback system since it is a series connection it is expected that the output resistance we will also increase by this factor. So, let me use different colour here yeah I do have this option yeah. So, let me use this space for R_{out} . So, R_{out} it is equal to the original r_o multiplied by $1 + A_{\beta}$ which is $g_m R_E$.

So, this also I know the we know that the output resistance looking into this circuit it is quite high and this can be well approximated by this $r_o + g_m R_E$ that is the intrinsic gain of the transistor multiplied by the un bypassed R_E . So, that again correlates that if you directly analyse this circuit whatever the output resistance you do get it is consistent with the feedback theory.

So, now let us look into we can use this circuit and then we can go for a numerical example, but before that while we are making this connection we know that G_m got decreased and the corresponding G_m it is becoming $1 / (1 + \beta R_E)$ along with this we also like to know the information about the other parameter or we can say the change in other parameters namely, the voltage gain, current gain and also maybe trans impedance of the circuit.

So, in the next slide what we can do, we can look back the summary table as we have discussed in our previous lecture. So, let we let we discuss about what kind of effect do we expect here, but then you have to keep in mind that in this feedback both or rather all of them rather A_f or G_m it is getting decreased and both input resistance and output resistance are getting increased by the common factor desensitization factor.

So, with this information let us I will see you what kind of changes do you use observe in voltage gain and current gain and trans impedance.

(Refer Slide Time: 29:32)

Application circuit-2 (contd.)

Feedback configuration: **Current-Series (Series-Series) feedback**

Consequences of the F.B on other parameters:

$A_v: G_m \downarrow R_{out} \uparrow$ No change
 $A_i: G_m \downarrow R_{in} \uparrow$ No change due to F.B.
 $Z_m: G_m \downarrow R_{in} \uparrow R_{out} \uparrow \times D$

	A_i	A_v	G_m	Z_m
A_i	1	R_{in}/R_{out}	R_{in}	$1/R_{out}$
A_v	R_{out}/R_{in}	1	R_{out}	$1/R_{in}$
G_m	$1/R_{in}$	$1/R_{out}$	1	$1/(R_{in} \cdot R_{out})$
Z_m	R_{out}	R_{in}	$(R_{in} \cdot R_{out})$	1

$D = 1 + G_m \beta_{FE} R_E$
 $= (1 + g_m R_E)$
 $R_{in} \uparrow D$
 $R_{out} \uparrow D$

So, yeah. So, here we do have the table and so, this table it is it will be helping us to see what kind of changes so we do get. In fact, we are making this G_m getting reduced by a factor of that desensitization. So, this is getting decreased by 1 plus so, D is equal to 1 plus G_m into beta FB and this is 1 plus g_m into R_E 1 un bypassed R_E . And also we know that input resistance getting increased by this factor, output resistance it is also getting increased by the same factor D .

Now if I want to see what kind of changes do you expect or do you see for a current gain then, we have to look into the expression of the current gain in terms of g_m . And this column gives us the corresponding expression. So, A_i it is g_m multiplied by R_{in} . So, we can say that the current gain it is G_m into R_{in} . And note that this is true for the circuit before and after the

feedback connection and we know that G_m it got decreased and R_{in} it got increased by the same factor.

So, as a result if I combine this two effect, then we can see that there will not be any change. So, no change due to feedback all right. Likewise, if I consider the if I consider the voltage gain and if I see the expression of the voltage gain from here which is G_m times R_{out} . So, A_v equals to g_m times R_{out} and here again G_m it is decreased by desensitization factor on the other hand output resistance got increased by the same factor D . So, altogether they are getting cancelled and hence no change.

On the other hand, if I consider Z_m and its expression can be obtained from this column; namely, it is G_m ; so, Z_m equals to trans impedance Z_m is equal to G_m into R_{in} multiplied by R_{out} . And due to the feedback connection G_m got decreased R_{in} got increased and R_{out} also got increase.

So, altogether we can see whole thing it is getting increased by a factor of desensitization. So, we can say that Z_m it is getting increased. So, that gives us the overall consequences of the different parameters due to the feedback connection. Now let we go into a numerical example. So, so, we do have a numerical example yeah.

(Refer Slide Time: 34:09)

Application circuit-2 : Numerical example
Feedback configuration: Current-Series (Series-Series) feedback

$R_C = 5\text{ k}\Omega$, $R_B = 840\text{ k}\Omega$, $V_{DD} = 10\text{ V}$, $R_E = 1\text{ k}\Omega$,
 $V_{BE(on)} = 0.6\text{ V}$, $V_A = 100\text{ V}$, $\beta = 100$

$A : G_m = \frac{1}{26}\text{ V}$ $g_m = \frac{1}{26}\text{ V}$
 $R_{in} = 2.6\text{ k}\Omega$ $R_{out} = 100\text{ k}\Omega$ $r_{\pi} = 2.6\text{ k}\Omega$
 $\beta_{FB} = \frac{R_{E1}}{R_E}$ $r_o = 100\text{ k}\Omega$

Suitable range of R_{E1} $R_{E1} = R_{in} \cdot \beta = R_{out} \cdot \beta \ll 2.6\text{ k}\Omega$
 $A \beta_{FB} \gg 1 \Rightarrow R_{E1} = \beta_{FB} \gg \frac{1}{g_m} = 26\Omega$
 $26\Omega \ll R_{E1} \ll 2.6\text{ k}\Omega$

Af: $G_{m_f} \approx \frac{1}{R_{E1}} = \frac{1}{260}$ $R_{E1} = 260\Omega$

$R_{in_f} \approx 2.6\text{ k}\Omega \times 10 = 26\text{ k}\Omega$ $28.6\text{ k}\Omega$ $R_{E1} = 260\Omega$
 $R_{out_f} \approx 100\text{ k}\Omega \times 10 = 1\text{ M}\Omega$ $1.1\text{ M}\Omega$ $D = (1 + A \beta_{FB}) = 11 \approx 10$

Yeah So, here we do have the numerical example, what we have here it is the circuit is given here and value of different bias circuits are enlisted; namely, R C it is 5 k R B it is 4 sorry 840 k, supply voltage it is 10 volt, R E; the total resistor it is 1 k, base to emitter on voltage it is 0.6 and beta is 100. So, if you consider this parameters we can say that the bias current here it is 10 micro ampere.

And because of the beta 100 the corresponding collector current it is 1 milli ampere and then yeah. So, the drop across this one it is 1 volt and drop across this RC it is 5 volts so, we do have 4 volts. So, the device it is in active region of operation. So, it is really working as a good amplifier.

Now, with 1 milliampere of current g_m of the transistor it is $1/26$ mho and r_{π} on the other hand which is β/g_m . So, that is equal to 2.6 kilo ohm and then r_{naught} it is early voltage 100 divided by 1 milliampere so, that gives us 100 kilo ohm.

So, with this information we can directly say that G_m or G_m dashed it is approximately equal to $1/26$ mho, R_{in} it is 2.6 k R_{out} it is 100 k and the feedback factor R_{E1} we need to find. So, to get this value here again we may recall that different conditions and what are the conditions we do have? The R_{in} β which is also equal to R_{out} β need to be much less than minimum of this two; so, this should be much less than 2.6 kilo ohm and so, these two are essentially R_{E1} right.

And the on the other hand the lower limit for R_{E1} it is coming from A dashed β FB should be much less than sorry, much higher than 1, which means that this β FB which is also equal to R_{E1} . So, this β FB should be much higher than 1 by on A dashed which is G_m dashed and this is $1/G_m$ and this is equal to 26 ohms. So, in summary we can say that the suitable range of R_{E1} it is it should be well within sorry, this is 26, 26 ohms to 2.6 kilo ohm.

Now, whenever we do have this requirement much less or much greater then at least we can say it is better to have one order of magnitude lower or higher. So, based on these two conditions; we may say that we can select say R_{E1} equals to 260 ohms, satisfying both these two conditions.

And if you take this R_{E1} equals to 260, then G_m f it will be $1/R_{E1}$ it can be well approximated by $1/R_{E1}$ which is equal to $1/260$. In fact, if you see the desensitization factor D which is $1 + A$ into β FB and if I put the value of this β FB of say 260. So, this is equal to 11, you may say that this is approximately equal to 10.

So, we can see that G_m , G_m of this one it is getting reduced by A factor of 10. Likewise the input resistance it is getting increased. So, that is equal to 2.6 k multiplied by this desensitization factor approximately 10. So, this is equal to 26 kilo to be more precise it

should be multiplied by 11. So, instead of 26 to be more precise we can say that 28.6 kilo ohm.

And then the output resistance on the other hand it is approximately so, this is 100 k multiplied by desensitisation factor. So, that gives us 1 mega ohms or if I put the D equals to 11. So, that gives us 1.1 mega ohm. So, in summary what we can say here it is due to the feedback connection, trans conductance it is 1 by 1 by 260 instead of 1 by 26. Input resistance it got increased to 26 k from 2.6 and R out rather output resistance instead of 100 k it is now it is 1 mega ohm.

So, you might have observed one thing that while we are doing this analysis we are keeping this R C outside of this circuit and that is very obvious that if you really want to take this R C to be inside the circuit the other end here it need to be connected here then only you can consider R C it is part of the current source.

So, in this configuration; we have to keep the R C outside of the amplifier otherwise the analysis it will be it is possible, but it will get really fairly complicated. Now coming to what are the consequences on the other parameter namely the voltage gain and current gain and trans impedance as we have discussed that we are anticipating that the voltage gain and current gain will not be having change. And, however; trans impedance will be having a change rather trans impedance it will increase. But we like to add something to that. So, let us go into the next slide to discuss the one very important point.

(Refer Slide Time: 43:02)

Application circuit-2 (contd.)

Feedback configuration: **Current-Series (Series-Series) feedback**

Consequences of the F.B on other parameters:

A_v : No change A_i : No change

Z_m : $\uparrow \times D$
 $Z_m = g_m R_{in} R_{out}$
 No change

	A_i	A_v	G_m	Z_m
A_i	1	R_{in}/R_{out}	R_{in}	$1/R_{out}$
A_v	R_{out}/R_{in}	1	R_{out}	$1/R_{in}$
G_m	$1/R_{in}$	$1/R_{out}$	1	$1/(R_{in}R_{out})$
Z_m	R_{out}	R_{in}	$(R_{in}R_{out})$	1

Consequences of the F.B on other parameters (considering RC):

$A_v = G_m \times R_{out} = \frac{g_m R_c}{1 + g_m R_E}$ $A_i = \frac{g_m R_c}{1 + g_m R_E}$ $A_v = g_m r_o \times \frac{R_c}{R_c + r_o} = g_m (r_o || R_c)$

$Z_m = \frac{g_m R_c}{1 + g_m R_E} \times R_{out} = \frac{g_m R_c}{1 + g_m R_E} \times \frac{R_c}{R_c + r_o} \approx g_m R_c$ $R_{out} \approx R_c$

So, yeah. So, again we can to understand what kind of changes it will be there in voltage gain and the current gain and the transimpedance. We refer back to this relationship table, the let me change the colour of this. So, we do have yeah so, we do have as I said that we are anticipating that the voltage gain and current gain will not be having any change and this will be getting increased by desensitisation factor D.

And trans impedance if you see. So, if you see this column . So, trans impedance of course, it is G_m . So, Z_m initially it was g_m into R_{in} into R_{out} and g_m with the feedback connection this g_m it is that circuit g_m capital G_m I should write. So, circuit G_m it got decreased, this got increased and this got increased. So, as a results the whole thing namely Z_m got increased by a factor of d which is equal to 1 or approximately 10.

And this is this result or this observation definitely you will be able to see only when you consider this R_C it remaining outside. We can say that if I consider this is remaining outside or if I am consider it is external load then you will be getting this situation.

Now, if I consider this is part of the amplifier and then if I try to see what kind of changes do you expect in the voltage gain particularly what you will be getting here before we make the feedback connection, the voltage gain it is equal to g_m into r_o , if I consider magnitude of the voltage gain g_m into r_o multiplied by the loading effect which is equal to loading effect due to R_C . And so, the loading effect or factor it is R_C divided by R_C plus the output resistance r_o .

So, this is the expression of the voltage gain before we connect the circuit in feedback configuration. In fact, this can be written in this form g_m into r_o in parallel with R_C and all practical purposes you can approximate this by g_m into R_C . As you can see that numerical value wise R_C it is 5 k and r_o it is on the other hand 100 k. So, definitely this is what you can expect.

Now this is before we connect feedback, feedback connection. Now after we make the feedback connection what do we expect it is the following. So, the g_m it got changed. So, also the output resistance got changed. So, if I say that R_{out} in this case with R_C it is r_o it is approximately R_C on the other hand with feedback this is equal to r_o got increased by the desensitization factor.

Now along with this R_{out} of the feedback system if I consider R_C coming into the loading then the corresponding R_{out} we can say R_{out} f dashed is equal to r_o multiplied by D in parallel with R_C . So, if I consider this resistance in parallel with R_C , this can be well approximated by r_c .

So, what we can say that if I include, if I include this R_C within the circuit to get the voltage gain not for g_m , but for voltage gain. What we can see that this R_{out} initially it was rather R_{out} dashed, R_{out} dashed it was initially R_C and R_{out} f dashed it is also remaining R_C ,

which means that the R_{out} if I considered this R_C within the circuit rather R_{out} dashed it is not really changing, it is remaining to R_C .

As a result if I see the voltage gain and its expression it is G_m and then if I consider R_C into it so, R_{out} dashed. So, this is equal to g_m into R_C . And after the feedback connection then we do have G_m then R_{out} dashed is equal to g_m divided by D into R_C . So, as a result what we can see here; interestingly, what we can observe here is that the voltage gain it is actually it is getting changed from g_m into R_C to g_m into R_C divided by D .

So, this is this is the situation when you consider R_C into the picture which means that the gain it is voltage gain it is dropping to this. In fact, this is what we know it is g_m into R_C divided by $1 + g_m R_{E1}$ all right. So, this is what we know.

So, if I do not consider R_C into the circuit then we claim that the voltage gain it was not changing, but we know that the voltage gain of the common emitter amplifier it is it is dropping particularly in presence of un bypassed R_{E1} . In fact, similar kind of conclusion you can also find for Z_m , but so, as I said that expression of the Z_m it is it is G_m into R_{in} into R_{out} .

Now if I consider R_C into the consideration then we have to consider R_{out} dashed. And what I said is that G_m it is getting decreased by the feedback R_{in} circuit R_{in} got increased, but then R_{out} dashed it is not changing. So, overall the Z_m , if I consider R_C into the consideration it is not having any change. So, in summary let me clear and then let me write this summary if I consider R_C yeah if I consider this R_C .

(Refer Slide Time: 52:05)

Application circuit-2 (contd.)

Feedback configuration: *Current-Series (Series-Series) feedback*

Consequences of the F.B on other parameters:

A_v :

A_i :

Z_m :

	A_i	A_v	G_m	Z_m
A_i	1	R_{in}/R_{out}	R_{in}	$1/R_{out}$
A_v	R_{out}/R_{in}	1	R_{out}	$1/R_{in}$
G_m	$1/R_{in}$	$1/R_{out}$	1	$1/(R_{in} \cdot R_{out})$
Z_m	R_{out}	R_{in}	$(R_{in} \cdot R_{out})$	1

Consequences of the F.B on other parameters (considering R_c):

A_v : $\downarrow \times D$ $R_{out} \approx R_c$ A_i : No change.
 $R_{out} \approx R_c$
 $R_{out} \approx R_c$

Z_m : No change

Then we can say that the voltage gain it is getting reduced by D all practical purposes that short it will happen, mainly because R_{out} dashed it is approximately R_c , R_{out} f dashed it is also equal to R_c . On the other hand Z_m it is remaining unchanged, no change and on the other hand of course, the current gain it is not having any change, similar to whatever we have seen here yeah. So, let me take again short break and then we will come back to another example and there we will see how we can handle multiple loops in a circuit ok.