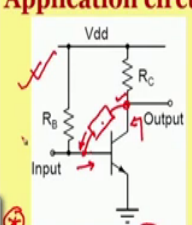


Analog Electronic Circuits
Prof. Pradip Mandal
Department of Electronics and Electrical Communication Engineering
Indian Institute of Technology, Kharagpur

Lecture – 98
Applications of Feedback in Amplifier Circuits (Part-B)

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Application circuit-1



Configuration names	Sin	So	A	Rin	Rout	Unit of β_{FB}
Voltage-Shunt (Shunt-Shunt)	I	V	Z_m	↓	↓	Mho
Current-Shunt (Series-Shunt)	I	I	A _I	↓	↑	-
Voltage-Series (Shunt-Series)	V	V	A _v	↑	↓	-
Current-Series (Series-Series)	V	I	G _m	↑	↑	Ohm

We want stable Z_m defined by feedback network

Feedback configuration: Voltage-Shunt (Shunt-shunt) feedback

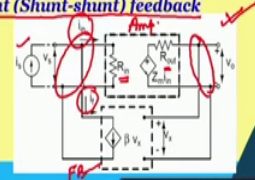

Input signal: I

Output signal: V

Forward amplifier gain: $Z_m (\Omega)$

T.F. of F.B. Network: $\beta_{FB} (\mathcal{R})$

Rin: ? Rout: ?

Welcome back after short [vocalised-noise] the break. So, what we are talking about the common emitter amplifier and what we are looking for is that Z_m trans impedance of the amplifier we like to stabilize defined, it should be defined by the feedback network element [vocalised-noise]. So, as this table suggest that if we are looking for this Z_m to be stabilized by the negative feedback then A should be Z_m .

So, this is the configuration we have to use, where we need to sample the signal in the voltage form. And we have to mix the signal at the input in the shunt configuration or we can see that the currents fall or we can say it is shunt-shunt configuration. And so, that based on this table

and the requirement, the feedback configuration it is voltage-shunt or shunt-shunt feedback configuration. And this is the corresponding model of the configuration, where this is the amplifier forward amplifier and this is the feedback network.

And here we do have the sampling of the output voltage and here we do have the mixing of the primary input and the feedback current to get the input current for the amplifier. So, we can say that in this circuit input signal it is current and the output signal it is voltage. So, the forward amplifier it is its gain it is Z_m .

So, its it is unit it is ohm and then the unit of the feedback networks transfer function beta FB it is a mho. And the input now, next thing is that we need to find what is the corresponding input resistance and output resistance of the actual circuit. Namely, if I consider this circuit what is the corresponding input resistance and the output resistance of the circuit.

So, in the next slide what we can do? First of all we have to sample this voltage and then we have to make a connection here, probably we can make a make a bridging element from output to input. And this unit supposed to sends this voltage here at the output and it supposed to produce the current at the input port.

So, in the next slide we are going to have the corresponding circuit and yeah.

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Application circuit-1 (contd.)

Feedback configuration: Voltage-Shunt (Shunt-shunt) feedback

Ss: **So:**

A:

β FB:

Rin: **Rout:**

The image contains several circuit diagrams. The top right diagram shows a common emitter amplifier with a feedback network consisting of a resistor R_f and a capacitor. The input is connected to a base resistor R_B and the output is taken from a collector resistor R_C . The feedback network is connected between the output and the input. The middle diagram shows the input side of the amplifier with a current source i_{in} and a feedback current i_f entering the base. The feedback voltage v_x is taken across the feedback resistor R_f . The bottom diagram shows the output side of the amplifier with a current source i_{out} and a feedback current i_f leaving the collector. The feedback voltage v_x is taken across the feedback resistor R_f .

So, here we do have the common emitter amplifier along with its feedback arrangement and we are also adding one capacitor. So, that the DC operating point of the common emitter amplifier it is not getting disturbed by presence of this R_f . So, this R_f it is sensing a voltage here and it is providing a current here.

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Application circuit-1 (contd.)

Feedback configuration: Voltage-Shunt (Shunt-shunt) feedback

Ss: i_s So: V_o

A:

$\beta_{FB} = \frac{1}{R_f}$

Rin: Rout:

$i_f = \frac{V_o}{R_f}$
 $\beta_{FB} = \frac{1}{R_f}$

So, if you consider the idealistic situation, then if I say that if this point if it is connected to say ground the current flow here it is V_o if I call this is V_o divided by R_f . So, that is the feedback current. So, i_f equals to v_o divided by R_f . So, from that we can see that this i_f equals to v_o divided by R_f . So, from that we can say that beta FB equals to $1/R_f$. So, if there is no load at this output port of the feedback network namely if I connect 0 resistance to ground, then whatever the current we are getting that is the i_f and that gives us the [vocalised-noise] and using this equation we are getting the beta FB which is unloaded.

So, we can say a beta FB of this feedback network it is $1/R_f$; in this circuit of course, primary input it is i_s note that this resistance here bias resistance R_B it is quite high compared to the other circuit. So, we may ignore this resistance for our [vocalised-noise] linearized analysis or AC analysis and then of course, we have to consider this is AC ground and the output node here which is the collector terminal. So, this is the collector node and

then we do have the emitter node here. So, that is this node is the emitter node. So, let me use this point here which is of course, connected to ground.

So, this is of course, it is connected to the actual ground. On the other hand [vocalised-noise] at the at the base this base terminal it is the input terminal. So, this is the base terminal and the negative side of the input port it is connected to the ground. So, this is the corresponding emitter terminal or the negative side of the input port or negative terminal of the input port. [vocalised-noise] And this emitter it is connected to again ground and the resistor R_f it is connected between R_C and not R_C the collector and the base through this capacitor and for signal we can assume that this capacitor it is working as a short.

So, we can see that this R_f it is bridging this collector terminal and the base terminal for the signal. So, that is how this R_f it is shown here in this equivalent circuit. Now, base to emitter we do have r_{π} . And then collector to emitter what we have it is we do have internal voltage internal signal voltage, which is β times r_{π} into i_{in} . In fact, this voltage we need to write in terms of the input signal which is current; because our main focus is to define a of this circuit rather Z_m .

So, originally or most of the time what we use the internal circuit it is not an equivalent circuit where we do have the internal current source which is β times i_b or i_{in} in parallel with r_o which is the conductance here.

Now, this i_b it is same as i_{in} . So, probably you can write this is i_{in} and this circuit not only equivalent circuit we are writing here in this form which is Thevenin equivalent. So, in summary we can say that the internally developed voltage here it is β into r_{π} into i_{in} [vocalised-noise] of course, this polarity of this current positive current is from collector to emitter. So, that is why we do have minus sign here and plus sign here and this r_{π} it is directly providing the Thevenin equivalent resistance.

So, in summary this is the small signal equivalent circuit of the amplifier; considering a R_f in to the picture and of course, ignoring the base bias resistance. And at the input we do have the we are expecting the signal should be current. So, this is the corresponding input stimulus

ideal stimulus i_s . So, in the feedback circuit the primary input S_s it is there is i_s . And on the other hand output it is the voltage here V_o . So, we can see that V_o is the corresponding voltage. Also we can see that this R_C it is connected between collector and V_{dd} . And V_{dd} it is AC ground. So, this R_C you can connect from collector to the AC ground which is also for AC model you can or AC or small signal equivalent circuit we can see that this is also connected to ground.

So, that is how we can see that [vocalised-noise] the transistor level circuit it is getting translated into the desired model and the model it is it consists of the different elements that the feedback network work as well as the main amplifier. So, let me clear up the diagram here again. So, what we have here it is output to input this R_f it is working as feedback network.

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Application circuit-1 (contd.)

Feedback configuration: **Voltage-Shunt (Shunt-shunt) feedback**

Ss: $Z_m = \beta r_o$, $Z_m = \beta (r_o \parallel R_c)$

So: $\beta_{FB} = \frac{1}{R_f}$

Rin: r_{π}

Rout: $r_o \parallel R_c$

$R_{out} = r_o \parallel R_c$

$R_{in} = R_f$

$R_{out} = R_f$

$R_{in} = R_f$

$R_{out} = R_f$

$V_o = \frac{(\beta r_o i_{in}) R_c}{(r_o + R_c)}$

$= (\beta (r_o \parallel R_c)) i_{in}$

$R_{out} = r_o \parallel R_c$

So, we can say that β_{FB} it is $1 + R_f$ input resistance of the circuit it is r_{pi} and output resistance in this case it is r_o which is also getting loaded with R_C and typically this R_C it is much smaller than r_o .

So, it is better to internalize this R_C with this amplifier. So, once you modify this circuit or rather once you take this load within this, then the internal voltage it need to be changed in this form where you can see that the voltage available here it is. Once we have the R_C the corresponding voltage V_o it is equal to internal voltage $\beta_{in} r_o i_{in}$ multiplied by R_C divided by $r_o + R_C$ or you can say that $\beta_{in} r_o$ in parallel with R_C multiplied by i_{in} .

So, this whole circuit it can be said that it can be represented by Thevenin equivalent voltage source, where the voltage it is the Thevenin equivalent voltage is given here and the Thevenin equivalent resistance of course, R_{th} is r_o in parallel with R_C . So, the whole circuit it is getting reflected here in this form. So, the R_C it has been consumed now the circuit it is unloaded. So, with this modification you may say that this R_{out} instead of r_o it is r_o in parallel with R_C . And in this model the corresponding A which is of course, this this is Z_m in this model it was $\beta_{in} r_o$.

But once we take this R_C within the circuit, then the corresponding Z_m or we can say that Z_m dashed which is load affected Z_m it is equal to $\beta_{in} [vocalised-noise]$ into r_o in parallel with R_C . So, that is the A the forward amplifier gain considering the load the other things of course, it is as I said that the output resistance got changed. So, either you may say this is R_{out} dashed which is r_o in parallel with R_C . And this can be well approximated by R_C for all practical purposes likewise this also can be well approximated by $\beta_{in} R_C$.

And then if you look into the feedback network feedback network. And if you try to see what is the corresponding input resistance here of the feedback network what we say it is R_{in} β_{in} . If I consider the other side it is not loaded; that means, it is shunted to ground then it is equal to R_f . Likewise, if I consider the output port and if I say that the output resistance of the feedback network R_{out} β_{in} that is which is given by a good voltage source.

So, if it is if I consider it is a good voltage source then it is in ideal condition this is also R_f . So, along with the input resistance of the forward amplifier and output resistance of the forward amplifier, we also have input resistance of the feedback network which is equal to R_f . In fact, R_{out} beta it is also R_f .

So, with this setup information we are now in position to make use of the equation particularly [vocalised-noise] what will be the feedback system trans impedance Z_{mf} [vocalised-noise]. But then we have to consider that once you once you have this beta R_f beta connected here we should consider its loading effect on the circuit it is negligible. So, likewise the loading effect of this input resistance here on the feedback network should also be considered as negligible.

So, that gives us an idea that what may be the meaningful range of this R_f or what maybe the meaningful range of this beta FB. That is very vital to construct a practical feedback circuit where we can we can directly use the equation to find what is the what are the changes are happening namely what is the value of the Z_{mf} and what is the value of R_{in} and R_{out} ok.

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Application circuit-1 (contd.)

Feedback configuration: Voltage-Shunt (Shunt-shunt) feedback

$A: Z_m = \beta r_o, Z_m' = \beta R_c$
 $R_{in} = r_{\pi}$ $R_{out} = R_c$
 $\beta_{FB} = 1/R_f$

Suitable range of R_f

$R_{in, \beta} \gg R_{out}$ $R_{out, \beta} \gg R_{in}$
 $A' \cdot \beta_{FB} \gg 1$

$A_f: Z_{m, f} = \frac{Z_m}{1 + \beta_{FB} Z_m} \approx \frac{1}{\beta_{FB}} = R_f$
 $R_{in, f} \approx \frac{r_{\pi}}{1 + \beta_{FB} Z_m} = \frac{r_{\pi}}{\beta_{FB} Z_m} = \frac{r_{\pi}}{\beta_{FB} \beta R_c} \approx \frac{r_{\pi}}{\beta R_c} \gg 1 \Rightarrow R_f \ll \beta R_c$
 $R_{out, f} = \frac{R_c}{1 + \beta_{FB} Z_m} \approx \frac{R_c}{\beta_{FB} Z_m} = \frac{R_c}{\beta_{FB} \beta R_c} = \frac{R_c}{\beta R_c} = \frac{R_c}{\beta} \approx \frac{R_c}{\beta} \gg 1 \Rightarrow R_f \gg r_{\pi}, R_c$

$Z_{m, f} \approx R_f$

So, in the next slide we are going to do that ah. So . far what I said is Z_m it was βr_o , but more important thing is that $Z_{m, f}$ rather [vocalised-noise] it is equal to approximately equal to βR_c and $R_{out, \beta}$ it is R_c , R_{in} it is r_{π} , β_{FB} it is $1/R_f$. And then next thing as I said that we need to find what is the suitable range of this R_f . And to get that since we are sensing the signal here the voltage.

So, one condition it is that $R_{in, \beta}$ it should be much higher than R_{out} here or $R_{out, \beta}$ dashed. Likewise to avoid the loading effect here or to ignore the loading effect here the r_{out} of the beta network it is it should be much higher than R_{in} . And as I said this is equal to R_f this is also equal to R_f and R_{in} it is r_{π} and $R_{out, \beta}$ it is R_c ; which gives us that R_f should be higher than much higher than r_{π} and this also R_c ok.

And whenever do we say it is much higher than this, all practical purposes what we can do we can see that R_f it is higher than or equal to 10 times of r_{pi} or 10 times of and 10 times of R_C . So, that gives us the lower limit of R_f ; on the other hand if I consider the other condition namely A_{dashed} into β_{FB} should be much higher than 1. And A_{dashed} it is β into R_C . C .

So, we can say that β into R_C and β_{FB} on the other hand it is it is 1 by R_f we want this should be much higher than 1 or we can say that R_f it is much lower than β into R_C .

So, if I combined say this lower limit and upper limit of R_f to really make this feedback system effective we can get a suitable range of R_f . And once you get that and once you make sure that both these conditions were satisfying then we can say $Z_{m\ f}$ $Z_{m\ f}$ equals to $Z_{m\ dashed}$ divided by one plus β_{FB} into $Z_{m\ dashed}$. And that can be well approximated by considering by ignoring this 1 with respect to this. So, we can say this is approximately 1 by β_{FB} which is equal to 1 by R_f . So, it is giving us R_f .

So, $Z_{m\ f}$ it becomes equal to R_f . So, we can see that in this circuit $Z_{m\ f}$ of the feedback system once we have this R_f it is equals to R_f ; which means that $Z_{m\ f}$ equals to all practical purposes equal to R_f . And the input resistance on the other hand as you can anticipate that input resistance it is getting reduced because of the shunt connection.

So, we can see this is equal to r_{pi} original R in getting reduced by 1 plus β_{FB} into $Z_{m\ dashed}$. In fact, this is also coming in parallel with R_f , but if you see this part [vocalised-noise] first. So, this is r_{pi} divided by if I say that this part it is dominating over 1. So, we do have β_{FB} it is 1 by f 1 by R_f and then we do have β into R_C . So, that is equal to so, r_{pi} here and within the β we do have G_m and r_{pi} so, that r_{pi} you can cancel. So, this is coming R_f divided by G_m into R_C . So, the initial resistance here it was r_{pi} now that is becoming R_f divided by G_m into R_C .

On the other hand, if I consider the output resistance. So, let me use this space here and use a different colour. So, this resistance it is a output resistance it is R_C [vocalised-noise] and that

divided by so, that is the R_{out} divided by again $1 + \beta$ [vocalised-noise] βR_F into Z_m and it is expression it is βR_C divided by R_F .

So, this is it can be well approximated by R_F divided by β . So, both R_{in} and R_{out} they are getting reduced by the same factor. And so, in this circuit we can see that output resistance it is even after considering this R_C within the circuit it is R_F sorry R_F divided by β and input resistance here it is R_F divided by G_m into R_C of course, we have ignored this resistance and that should not be a problem because the typical value here it is much smaller than this R_B .

In fact, R_B it is much higher than r_{π} itself and this feedback resistance it is a reduced version of this input resistance. So, naturally it should not be having any problem. So, now, next thing that lets also look into the consequences on the other parameter. So, here what we said is Z_m it is getting defined it is defined by the this Z_m rather Z_m it is changing from βR_C to this R_F . And we like to see what other changes are also happening on the other parameter namely voltage gain and then current gain and then trans conductance ok.

So, in the next slide again we will be using the overall consolidated table to check what are the changes are happening there in other parameter yes.

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Application circuit-1 (contd.)

Feedback configuration: *Voltage-Shunt (Shunt-shunt) feedback*

Consequences of the F.B on other parameters:

$A_v = \frac{Z_m}{R_{in}}$: No changes
 $A_i = \frac{Z_m}{R_{out}}$: No changes
 $G_m = \frac{Z_m}{R_{in} R_{out}}$: \uparrow
 $G_{m-f} = \frac{G_m}{1 + \beta A_v Z_m}$

	A _i	A _v	G _m	Z _m
A _i	1	R _{in} /R _{out}	R _{in}	1/R _{out} → $A_i = \frac{Z_m}{R_{out}}$
A _v	R _{out} /R _{in}	1	R _{out}	1/R _{in}
G _m	1/R _{in}	1/R _{out}	1	1/(R _{in} .R _{out})
Z _m	R _{out}	R _{in}	(R _{in} .R _{out})	1

So, this negative the feedback system here it is of course, we are expecting that there will be changes on the other parameter, but if you see the configuration here we do have this configuration where the main parameter it is Z_m . And so, we already have seen what kind of changes are happening in Z_m . And we like to see what are the changes happening in the other parameter and to get the information we need to see this column.

So, as I said that this circuit it is having the input not input the current gain A_i . A_i if I consider this equation it is giving us an expression A_i equals to Z_m divided by R_{out} . So, [vocalised-noise] since this A_i it is having an expression of Z_m divided by R_{out} whether their load affected or not both of them [vocalised-noise] are getting reduced this as well as this by the same desensitization factor and hence no changes. So, likewise if I consider the

voltage gain, which is which can be its expression can be obtained from this entity; namely voltage gain it is Z_m multi divided by R_{in} .

So, this is equal to Z_m divided by R_{in} and both Z_m and R_{in} are dropping by the same factor and hence no changes. On the other hand, if you see the trans conductance G_m and if you look into this entity. So, that gives us G_m equals to Z_m divided by R_{in} and R_{out} both R_{in} and R_{out} getting reduced by the same factor Z_m also getting reduced by the same factor.

So, we are expecting that this whole entity it is getting increased by desensitization factor D which means that G_{mf} it is getting increased this is getting increased by $1 + \beta_{FB}$ multiplied by Z_m dashed. And for this circuit this G_m it is g_m of the transistor and this entity we already have discussed. So, that is we can say it is much higher than 1 and its expression it is $\beta_{in} R_C$ and β_{FB} it is $1 + \beta_{FB}$. So, that gives us G_{mf} equals to yeah.

So, this is the quantity it is saying that g_m it is getting increased by this factor with respect to its original value or g_m . Now, let us look into a numerical example associated with this application circuit to get a feel of the value of different term parameters or particularly how to get the value of this you know R_f .

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Application circuit-1 : Numerical example

Feedback configuration: **Voltage-Shunt (Shunt-shunt) feedback**

$R_c = 5k\Omega$; $R_B = 940k\Omega$; $V_{dd} = 10V$; $V_{BE(on)} = 0.6V$; $V_A = 100V$; $\beta = 100$

$A: Z_{in} = \beta R_c = 500k\Omega$

$R_{in} = r_{\pi} = \frac{100}{g_m} = 26k\Omega$; $R_{out} = r_o \parallel R_c \approx 5k\Omega$; $g_m = \frac{1mA}{26mV} = 1/26$

$\beta_{FB} = 1/R_f$

Suitable range of R_f , $R_{in}\beta = R_{out}\beta = R_f$

$R_f \cdot R_{in}\beta \gg R_{out}\beta = R_f$; $R_{in}\beta = R_{out}\beta = R_f$

$R_f \cdot R_{out}\beta \gg r_{\pi}$; $R_f \gg 26k\Omega$ ($R_f \gg 5k\Omega$)

$A_f: Z_{m-f} = \frac{Z_m}{10} = 50k\Omega$

$R_{in-f} = \frac{26k}{10} \approx 2.6k$; $5k \ll R_f \ll 500k\Omega \Rightarrow R_f = 50k\Omega$

$R_{out-f} = \frac{R_{out}}{10} = 500\Omega$; $\beta_{FB} Z_{m'} = \frac{500}{50} = 10 \gg 1 \Rightarrow D = 11$

So, in the next slide we do have the same example having a specific value of different bias elements as well as the device parameters. So, in this circuit the value of this R C it is given here it is 5k R B it is 940k kilo ohm and supply voltage it is 10 volt.

And let you consider V BE on it is approximately 0.6; early voltage of the device it is let say [vocalised-noise] it is 100 beta of the transistor current gain it is a 100. Now, with this information quickly we can say that the DC current here it is 10 micro ampere and the beta is a 100. So, we can say that the collector current it is 1 milli ampere. And so, that gives us the r pi and g m and so and so. So, we can see that r pi the input resistance r pi here it is a 100 beta divided by the g m. And the g m it is a 1 milli ampere divided by v t 26 milli volt so that is equal to 1 by 26 mho.

So, r_{pi} it is equal to 2.6k. So, that is the input resistance of the main circuit the output resistance if I consider load affected. So, that is and in fact, with this value of early voltage we can say that r_o intrinsic output resistance it is a 100k 100 volt divided by 1 milli ampere so, this is equal to 100k.

And R_{out} it is R_{out} it is equal to r_o in parallel with R_C and R_C it is 5k. So, we can say that 5k it is dominating. So, we do have the input resistance we do have the output resistance and also [vocalised-noise] the Z_m or other let us let you consider directly Z_m Z_m it is βR_C . So, that is equal to βR_C it is 5. So, that is 500k.

Now, using this information let us try to see what is the suitable range of this βR_C or a suitable range of R_f . So, first thing is that a R_f which is also equals to R_{in} βR_C and R_{out} βR_C and by considering the situation such that the loading effect of the R_{in} βR_C on the amplifier if we have to ignore it then you can see that the R_{in} βR_C it should be much higher much higher than output resistance R_{out} βR_C . So, that is equal to R_{out} βR_C . So, that is equal to R_C and this is of course, R_f on the other hand the other condition it is $V_{I} R_{out}$ βR_C is much higher than input resistance r_{pi} . So, combining these two we can see that and this is also R_f .

So, R_f should be higher than much higher than r_{pi} which is 2.6k and also it should be higher than much higher than this R_{out} βR_C which is 5k. Now, if I say that these two are and in fact, this is defining the lower limit on the other hand if I consider βR_C into [vocalised-noise] Z_m which is giving us 500k. So, 500 kilo ohm divided by R_f should be much higher than 1. So, this is giving us that R_f should be much smaller than 500 kilo ohm.

So, by combining these two limits the upper limit and the lower limit. So, we do have the upper limit and the lower limit we can see that R_f it is having a meaningful range and its lower limit it is 5k upper limit it is 500k. And let you consider one example and so, we can consider from say R_f equals to say 50 which is definitely helping us to satisfy both upper and lower limit.

And if I consider R_f is equal to 50 then β into β_{FB} into Z_m dashed it is we do have Z_m dashed it is 500 and β_{FB} is 1 by 50. So, this is equal to 50. So, this is equal to 10 we can say that this is much higher than 1.

So, we are satisfying this condition and then we can say that desensitization factor actually it is to be more precise it is 11 or rather we can say that this is 10. So, we can say that Z_m if it is Z_m dashed divided by this desensitization factor or approximately you can say this is divided by 10 and this is equal to 50k which is same as the value of this R_f . And the input resistance on the other hand it is of the feedback system which is 2.6k divided by D so, either you can consider D is equal to 11 or approximately equal to 10.

So, we can see if I consider it is approximately 10. So, it becomes 0.26k or you may say 260 ohms the output resistance on the other hand it is R_{out} dashed divided by D . R_{out} dashed it is 5k divided by either you consider 11 or approximately 10. So, that gives us a value of 500 ohms.

So, in summary what we can say that if we put this to resistance this is equal to 50. So, that gives us the output resistance here which is 500 ohms input resistance to this circuit it is 260 ohms of course, these are approximation. In fact, they are even lower than that which means that the input and output resistance it is getting decreased by this shunt-shunt configuration.

And Z_m we said it is getting decreased and the Z_m plot it is equals to 50 kilo ohms. Now, you can find what will be its effect on A_v and voltage gain and current gain by considering that consolidated table and also and [vocalised-noise] Z_m . In fact, ah. So, we already have discussed that this will not be having any change this will be having a change and that gets increased by a factor of D which is approximately 10 [vocalised-noise]. So, this g_m it will get increased by [vocalised-noise] 10 and then voltage gain and current gain approximately remaining unchanged.

So, that is about the numerical examples to say that by connecting this feedback [vocalised-noise] circuit what kind of changes we do have.

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Application circuit-2

Configuration names	Sin	So	A	Rin	Rout	Unit of β_{FB}
Voltage-Shunt (Shunt-Shunt)	I	V	Z_m	↓	↓	Mho
Current-Shunt (Series-Shunt)	I	I	A_I	↓	↑	-
Voltage-Series (Shunt-Series)	V	V	A_V	↑	↓	-
Current-Series (Series-Series)	V	I	G_m	↑	↑	Ohm

We want stable G_m defined by feedback network

Feedback configuration: **Current-Series (Series-Series) feedback**

Input signal:
 Output signal:
 Forward amplifier gain:
 T.F. of F.B. Network :
 Rin: Rout:

So, likewise we can go for other examples. So, here we do have another circuit which is again common emitter amplifier, but here the objective is it is different namely we want a stable [vocalised-noise] gm. And in case if you are looking for stable G m and then the corresponding configuration here as this table suggests that it should be current sensing and series mixing or we can say series-series configuration. So, we will be discussing this one in the probably in the next lecture. So, let we break here and then we will we will continue this topic of discussion.

Thank you.